



DEPARTAMENTO DE
ANÁLISIS MATEMÁTICO Y
MATEMÁTICA APLICADA



SEMINARIO DE ANÁLISIS MATEMÁTICO Y MATEMÁTICA APLICADA

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Stability results for inverse problems on manifolds

Abstract

We consider a general inverse problem between infinite-dimensional Banach spaces, that is, for an operator F between Banach spaces, the problem of inverting the equation $F(x)=y$, where y is a measured data and x is the unknown quantity to be recovered. In an ideal setting, with infinite-precision measurements and no noise, many important problems can be solved and stability holds, allowing the reconstruction of the unknown x from the measured data y . However, in real applications, the problem of inverting this equation turns out to be a more delicate process since only a finite quantity of measurements can be acquired and they are usually affected by noise. In this sense, Lipschitz and Hölder stability estimates for inverse problems are of great interest since they allow for good numerical reconstructions.

In this talk, we assume that the unknown quantity x belongs to a finite-dimensional manifold. Under this assumption, which arises in many real-world scenarios where natural objects have a low intrinsic dimension and belong to a much larger ambient space, we prove uniqueness and Hölder and Lipschitz stability results. In addition, we apply these general result to two classical nonlinear ill-posed inverse boundary value problems: the Calderón's inverse conductivity problem with triangular inclusions and the Gel'fand-Calderón's problem for the Schrödinger equation with spherical inclusions. This is a joint work with Giovanni S. Alberti and Matteo Santacesaria from University of Genoa, Italy.

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