CONTRIBUCIONES RESULTANTES DE LAS TESIS DEL PROGRAMA DE DOCTORADO EN INVESTIGACIÓN MATEMÁTICA

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Se incluyen las contribuciones de los doctores cuyas tesis han sido leídas entre los cursos 2015-16 y 2019-20 a partir de la base de datos mathscinet. En negrita se ha marcado el apellido del doctor del programa.

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